



CS/MCA(A)/ODD/SEM-1/1610/2023-2024/l036

MAULANA ABUL KALAM AZAD UNIVERSITY OF TECHNOLOGY, WEST BENGAL

Paper Code: MCAN-104 Discrete Mathematics

UPID: 001610

Time Allotted: 3 Hours

MCA

Full Marks:70

The Figures in the margin indicate full marks.

Candidate are required to give their answers in their own words as far as practicable

		Group-A (Very Short Answer Type Question)		
1. Answer any ten of the following:				
	{0}	Let A and B be two sets each having n number of elements. Then how many bijective mappings will to B?		
	(11)	Is the set of all real numbers w.r.t the relation 'less than or equal to' - a partial order relation or a to relation?	tal order	
	(14)	Write down the necessary and sufficient condition of a subset H of a group (G, *), to be a subgroup of	ıf G.	
		What is the maximum number of edges of a simple graph with n vertices?		
	(V)	the state of P		
	(VI)			
	(VII)	II I(X) - 3X12 is a mapping their write down i (X).		
	(VIII) The sum of the degrees of all the vertices of a graph is 40. Then write down the number of edges of the graph.			
	(tX)			
	(X)	How many edges does a simple graph with 8 vertices have?		
	(XI)	If p: 'Anil is rich' and q: 'Kanchan is poor' then what is the symbolic form the statement 'Either Anil or rich'?	r Kanchan is	
	[X:1]	If $f(x) = 2x-3$, then write the expression for $(f \cdot f)(x)$.		
		Group-B (Short Answer Type Question)		
		Answer any three of the following:	[5 x 3 = 15]	
٤.		Ill the permutations of the letters of the word DIRECTOR be written down as in a dictionary what is the lak of the word?	[5]	
2		a be an element of a group (G, .) , of order n. Then a ^m = e if and only if n is a divisor of m.	[5]	
	_	ove that a tree with n vertices has n-1 number of edges.	[5]	
.پر	Stat	te Lagrange's theorem. Hence show that every group of prime order is cyclic.	[5]	
3. Æ	Dra	ove that a complete graph with n vertices consists of n(n-1)/2 edges.	[5]	
₹ 0.	Hov	w many edges does a complete graph with 10 vertices have.		
Group-C (Long Answer Type Question)				
			15 x 3 = 45)	
7.		Find the number of ways a company can assign 7 projects to 4 people so that each person gets at least one project.	[8]	
		Four dice are thrown at a time. In how many way a total of 16 can be obtained?	[7]	
8.	(0)	In an examination, out of 90 students 65 passed in Physics and 50 passed in Mathematics and 35	[8]	
ъ.		passed in both Physics and Mathematics.		
		i. How many students passed in exactly one of the two subjects? ii. How many students falled in both the subjects?		
		If A ={ 1,3,5} , B ={ 1,3,8} then find	[7]	
	i	i. A X B		
		II. B X A		
_		iii. (A X B) - (B X A) Show that G={0,1,2,3} is a group with respect to the operation +4. Is it abelian?		
9.	• •		[5]	
	(p) 1	f y be an element of a group (G, *) and $O(y)=20$, find the order of y^B .	[5]	

(c) Let (G,.) be a cyclic group generated by a. Then O(G)=n if and only if O(a)=n.

[5]



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10. (a) Prove that the intersection of two subrings S and T of a ring (R,+,) is a subring of R. Give an	[8]
example to show that the union of two subrings may not be a subring of the ring.	(7)
(b) Show that the set of rational numbers other than 1, Q^{f} , forms a group under the binary operation $^{\circ}$	[7]
defined by	
$a^*b = a*b = a.b.$	[8]
11. (a) Prove that number of odd vertices in any graph is even.	[7]
43. As we that the minimum number of others in a connected graph with a vertices is n=1.	(*)

*** END OF PAPER ***

